

Chapter 5 Section 1 Work 5.1 Work

Definition of Work

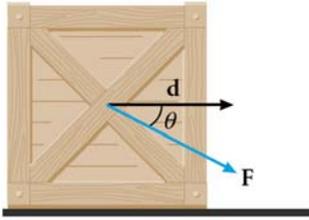
- **Work** is done on an object when a force causes a displacement of the object.
- **Work** is done only when components of a force are parallel to a displacement.

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Chapter 5 Section 1 Work 5.1 Work

Definition of Work



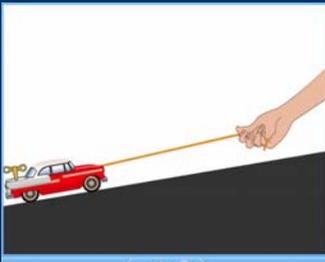
$W = Fd \cos \theta$

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Chapter 5 Section 1 Work 5.1 Work

Sign Conventions for Work



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5.1 Work

Example of Work?

- 1. A teacher applies a force to a wall and becomes exhausted. Is work done?
- 2. A book falls off a table and free falls to the ground. Is work done?
- 3. A waiter carries a tray full of meals above his head by one arm across the room. Is work done?
- 4. A rocket accelerates through space. Is work done?

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5.1 Work

Critical Thinking...

1. For each of the following cases, indicate whether the work done on the second object in each example will have a positive or a negative value.

- A) The road exerts a friction force on a speeding car skidding to a stop. 
- B) A rope exerts a force on a bucket as the bucket is raised up a well. 
- C) Air exerts a force on a parachute as the parachutist falls to Earth.

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5.1 Work

Conservative Forces

- When work done against a force is independent of the path taken, the force is said to be a *conservative force*
- *Gravitation is an example of this type of a force*
- *Notice no friction is involved*

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5.1 Work

Nonconservative Forces

- Air resistance and friction are examples of nonconservative forces
- The work done against a nonconservative force is dependent upon the path taken

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5.1 Work

Nonconservative Example

$$W_f = F_f d$$

$$F_f = \mu_k F_N$$

F_N gets larger as the angle gets smaller, so...

$W = 98 \text{ J}$
Just to lift it

A requires more work against friction than B

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Chapter 5 Section 5.4 Power

Objectives

- Relate the concepts of energy, time, and power.
- Calculate power in two different ways.
- Explain the effect of machines on work and power.

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Chapter 5 Section 5.4 Power

Rate of Energy Transfer

- **Power** is a quantity that measures the rate at which work is done or energy is transformed.

$$P = W/\Delta t$$
 power = work ÷ time interval
- An alternate equation for **power** in terms of force and speed is

$$P = Fv$$
 power = force × speed

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Chapter 5 Section 5.4 Power

Power

Power: The Rate at Which Work is Done

$P = W/t$

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Chapter 5 Section 5.2 Energy

Objectives

- **Identify** several forms of energy.
- **Calculate** kinetic energy for an object.
- **Apply** the work–kinetic energy theorem to solve problems.
- **Distinguish** between kinetic and potential energy.
- **Classify** different types of potential energy.
- **Calculate** the potential energy associated with an object's position.

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Chapter 5 Section 5.2 Energy

Kinetic Energy

- **Kinetic Energy**
The energy of an object that is due to the object's motion is called **kinetic energy**.
- **Kinetic energy** depends on speed and mass.

$$KE = \frac{1}{2}mv^2$$

$$\text{kinetic energy} = \frac{1}{2} \times \text{mass} \times (\text{speed})^2$$

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Chapter 5 Section 5.2 Energy

Kinetic Energy



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Chapter 5 Section 5.2 Energy

Kinetic Energy, *continued*

- **Work-Kinetic Energy Theorem**
– The net work done by all the forces acting on an object is equal to the change in the object's kinetic energy.
- The net work done on a body equals its change in kinetic energy.

$$W_{\text{net}} = \Delta KE$$

$$\text{net work} = \text{change in kinetic energy}$$

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Chapter 5 Section 5.2 Energy

Work-Kinetic Energy Theorem

Work_{net} = Change in Kinetic Energy



$W_{net} = \frac{1}{2} m_{hammer} (v_f^2 - v_i^2)$
 Since $v_f = 0$ when the hammer stops,
 $W_{net} = -\frac{1}{2} m_{hammer} v_i^2$

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Chapter 5 Section 5.2 Energy

Potential Energy

- **Potential Energy** is the energy associated with an object because of the position, shape, or condition of the object.
- **Gravitational potential energy** is the potential energy stored in the gravitational fields of interacting bodies.
- **Gravitational potential energy** depends on height from a zero level.

$PE_g = mgh$
 gravitational PE = mass × free-fall acceleration × height

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Chapter 5 Section 5.2 Energy

Potential Energy

Potential Energy is Energy of Position:



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Chapter 5 Section 5.3 Conservation of Energy

Objectives

- **Identify** situations in which conservation of mechanical energy is valid.
- **Recognize** the forms that conserved energy can take.
- **Solve** problems using conservation of mechanical energy.

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Chapter 5 Section 5.3 Conservation of Energy

Conserved Quantities

- When we say that something is *conserved*, we mean that it remains constant.

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Chapter 5 Section 5.3 Conservation of Energy

Mechanical Energy

- **Mechanical energy** is the sum of kinetic energy and all forms of potential energy associated with an object or group of objects.

$$ME = KE + \sum PE$$
- Mechanical energy is often conserved.

$$ME_i = ME_f$$

initial mechanical energy = final mechanical energy
(in the absence of friction)

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Chapter 5 **Section 5.3 Conservation of Energy**

Conservation of Mechanical Energy

$ME = ME$
initial mechanical energy = final mechanical energy
(in the absence of friction)

all mechanical energy is potential energy

all mechanical energy is potential energy

all mechanical energy is kinetic energy

mechanical energy = potential + kinetic

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Roller Coasters

- Although not perfectly energy efficient, they are a fun way to view how work, gravitational potential and kinetic energy are exchanged

Height = 72.0 m Speed = 0.0 m/s

KE PE TME

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The Downhill skier

What's this?

Height = 52.0 m Speed = 0.0 m/s

KE PE W TME

0 0 0 0

Unpacked Slow

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